- **1** Mechanisms and Designs of Asymmetrical Electrochemical Capacitors
- 2 Bamidele Akinwolemiwa<sup>a</sup>, Chaohui Wei<sup>a</sup>, George Z. Chen<sup>a,b,\*</sup>
- <sup>a</sup> Department of Chemical and Environmental Engineering, and Centre for Sustainable Energy
- 4 Technologies, Faculty of Science and Engineering, University of Nottingham Ningbo China, Ningbo

5 315100, P. R. China.

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- <sup>6</sup> <sup>b</sup> Department of Chemical and Environmental Engineering, Faculty of Engineering, University of
- 7 Nottingham, Nottingham NG7 2RD, UK.
- 8 \* E-mail: <u>george.chen@nottingham.ac.uk</u> (G. Z. Chen)

Abstract. Different charge storage mechanisms in electrochemical energy storage devices are reviewed, 10 11 including non-Faradaic capacitive, Faradaic capacitive, Faradaic non-capacitive, and their 12 combinations. Specifically, Faradaic capacitive (pseudocapacitive) storage and Faradaic non-capacitive (Nernstian) storage are attributed to the transfer of delocalised and localised valence electrons, 13 14 respectively. Mathematical and graphical expressions of the respective storage performances are 15 presented. The account is made especially for asymmetrical electrochemical capacitors (AECs), supercapattery and supercabattery. Both hypothetical and experimental examples are presented to 16 17 demonstrate the merits of supercapattery that combines capacitive and Nernstian electrodes. Enhanced 18 storage performance is shown by properly pairing and balancing the properties of the negatrode (negative electrode) and positrode (positive electrode) in the AEC or supercapattery. In addition, the 19 20 design, laboratory manufacturing and performance of several stacks of bipolarly connected AEC cells 21 are assessed in terms of commercial feasibility and promise.

*Keywords:* Asymmetrical electrochemical capacitors; Supercapattery; Charge storage mechanisms;
 *Pseudocapacitance;* Delocalised valence electrons; Nernstian storage

#### 1 **1. Introduction**

2 Supercapacitor is the commercial name of electrochemical capacitor (EC) that has attracted 3 exponentially growing interests in both academia and industry. The positrode (positive electrode) and 4 negatrode (negative electrode) of an EC can be made from the same or different materials, 5 corresponding to, respectively, symmetrical or asymmetrical EC [1-3]. Strictly speaking, there is no EC 6 that is symmetrical because even with the same material, the charge storage processes are different at 7 the positrode and negatrode. For example, when charging an EC with activated carbon on both 8 electrodes, anions are stored in the positrode whilst cations in the negatrode, which means asymmetry 9 in the electrical double layer (EDL) structure, charge storage kinetics and specific capacitance. Thus, it 10 can be stated that all known ECs are asymmetrical in nature.

11 Nevertheless, the scientific rigour is not always followed in research, and a successful 12 advancement in science or technology may also result from initially misinterpreted observations [4]. It is very much a similar story in the research and development of ECs, particularly the asymmetrical 13 device which often has an electrode that is capable of Faradaic charge storage to gain an increased 14 15 specific capacity of storage. The Faradaic process is known to involve transfer of charges (electrons or 16 ions or both) across the "electrolyte" interface (EEI). It has been ascribed to Nernst's law 17 concerning a unique electrode potential,  $E^{\circ}$ , although its association with the so called 18 pseudocapacitance in recent years has led to confusion between materials with capacitive and non-19 capacitive performances. There is no doubt that enhancement in energy storage is the practical purpose 20 in both cases, but clarification of the charge storage mechanisms is necessary so that researchers can 21 inform their industrial colleagues with reliable information about energy storage capacity, speed and 22 cycle life. This article aims to offer some fundamental considerations and practical examples on using 23 both capacitive and non-capacitive materials to fabricate asymmetrical ECs. With particular reference 24 to hybrid devices whose performances follow or do not follow the capacitor equations, the terms of *supercapattery* and *supercabattery* are recommended, respectively, together with correct performance description and analysis [2,3]. Furthermore, device engineering leading to the fabrication of stacked EC cells will be briefly considered. It is acknowledged that the terms "pseudocapacitor" and "hybrid capacitor" and are also used in the literature, but these terms are not the same as supercapattery because the former is still a capacitor and is composed of two different capacitive electrodes. A supercapattery can be composed of two different capacitive electrodes, but also of a capacitive and a Nernstian electrode as explained below in details.

- 8
- 9 **2.** Charge storage mechanisms in electrodes

In general, storage mechanisms can be classified as either non-Faradaic capacitive, Faradaic capacitive (pseudocapacitive) or Faradaic non-capacitive (Nernstian) (see Figure 1a) [3]. Based on these mechanisms, the electrochemical properties of electrodes which could be used in the fabrication of ECs can be categorised under any of the four schematic illustrations given in Figure 1b. The schematic cyclic voltammograms of Figure 1b represents single electrode characterisations (i.e. collected using the three-electrode cell configuration).

Figure 1(b4) could be used to generally illustrate the electrochemical characteristics of electrodes displaying non-Faradaic capacitive storage i.e. EDL capacitance. This is usually due to the electrostatic separation of electrons and ions at the EEI. Fundamentally, the amount of interfacial charge storage (Q) in these types of electrodes can be correlated with the interfacial capacitance (C) at a given electrode potential (E) by the usual capacitor equation below,

21 
$$C = \frac{dQ}{dE} = \frac{dQ/dt}{dE/dt} = \frac{i}{v}$$
 (1)

where *i* is the current and *v* the potential scan rate (for example in cyclic voltammetry) [2]. Note that in practice, Equation (1) is correct only when *C* remains constant, at least approximately, in the applied 1 range of potentials. If *C* varies significantly with potential, Equation (1) is invalid. It is important to 2 note that all capacitive electrodes, either EDL or Faradaic, would give rectangular cyclic 3 voltammograms (CVs) and triangular galvanostatic charging-discharging curves (GCDs). With a 4 replacement of *E* by the cell voltage, *U*, Equation (1) can be applied for calculation of the cell 5 capacitance,  $C_{cell}$ , of an EC constructed from two capacitive electrodes. The maximum energy stored in 6 the EC, *W* is correlated with  $C_{cell}$  and *U* by Equation (2).

$$7 W = \mathbf{0.5}C_{cell}U^2 (2)$$

8 In Equation (2),  $C_{cell}$  results from the serial connection of the positrode capacitance,  $C_P$ , and negatrode 9 capacitance,  $C_N$ , i.e.  $1/C_{cell} = 1/C_P + 1/C_N$ . It should be emphasised that  $C_{cell}$  in Equation (2) should not 10 be replaced by either  $C_P$  or  $C_N$  because it is practically impossible to store energy in a single electrode 11 without the counter electrode. In other words, energy analysis is only practically meaningful in relation 12 with the cell performance.

As is well known, EDL capacitance is the storage mechanism displayed by many carbon-based electrodes such as: activated carbon (AC), carbon nanotubes (CNTs), aerogels, xerogels, carbon onions, graphite etc. [5, 6]. As evident from the literature, enhancing the properties of carbon electrodes has undergone vast improvements particularly in the areas of carbon production. For example, high performance electrodes with EDL capacitance have been produced from the reduction of  $CO_2$  in high temperature molten salts through the process of electrochemical carbon capture and utilisation [7, 8].

In recent year, there have been impressive improvements in commercial applications of electrochemical double layer capacitors (EDLCs). For instance, intra-city electric buses fully powered by EDLCs which use AC electrodes and organic electrolytes are currently in operation (see Figure 2) [9]. These EDLC buses can be fully-recharged in 30 s to enable a journey about 5 km. Nevertheless, the fast charging of these devices coupled with long cycle lives still drives the commercial desire further for "novel" ECs that can deliver charge for a longer period. This in fact is the principal motivation behind the adoption of various innovative device engineering strategies in the fabrication of
 asymmetrical electrochemical capacitors (AECs).

The rectangular CV in Figure 1(b4) can be used to describe the electrochemical profile due to either EDL storage or Faradaic capacitive storage i.e. pseudocapacitance [10], which are also characterised by linear or triangular GCDs. Materials which display the Faradaic capacitive or pseudocapacitive storage mechanism can be described with the aid of the semiconductor band model (see Figure 1 c and d) [11].

8 It is well known that reversible electron transfer reactions of redox active molecules or ions in a 9 liquid electrolyte or confined on the electrode surface can be described by the Nernst equation. In these 10 molecules or ions, the valence electrons are localised at a unique and fixed energy level and can 11 therefore be transferred on the electrode at a fixed potential. However, if the valence electrons are 12 delocalised to a certain degree, such as those in semiconductor materials, e.g. many transition metal oxides (TMOs) and electronically conducting polymers (ECPs), the energy levels of these delocalised 13 14 valence electrons are no longer a single value but spread over an energy band. As a result, the transfer 15 of these delocalised valence electrons occurs in a continuous range of potentials, instead of a fixed 16 single potential. This energetic feature of delocalised valence electrons is responsible for the flow of 17 the capacitive current over a relatively wide potential range [11]. TMOs, such as RuO<sub>2</sub>, MnO<sub>2</sub>, SnO<sub>2</sub> 18 and their composites with nanostructured carbon materials [12-16] are important examples of 19 electrodes which store charge by the pseudocapacitance mechanism. Also, ECPs such as polypyyrole 20 (PPy), polyaniline (PAn) and poly(3,4-ethylenedioxythiophene) (PEDOT) and their composites with 21 nanostructured carbon materials [17-20] also store charge via pseudocapacitance. Other classes of 22 electrode materials for pseudocapacitive storage such as transition metal dichalcogenides (TMDs) e.g. 23 MoS<sub>2</sub>, WS<sub>2</sub>, TiS<sub>2</sub> have also been investigated [21]. Furthermore, density functional theory calculations 24 have been utilised to characterise the charge storage properties of a wide range of these TMDs in order 1 to aid in the rational selection of electrode materials for practical applications [22].

The two remaining types of Faradaic storage described below are non-capcacitive and mixed capacitive and non-capacitive. These mechanisms are characterised by peak shaped CVs which could either be reversible or quasi-reversible as deduced from their electrochemical features (see Figure 1b). Electrodes giving rise to peaked shaped CVs without any significant capacitive contribution could be in general called Nernstian electrodes.

7 Electrodes which store charge via a mixed Nernstian and capacitive mechanism are those that 8 conjointly display marked capacitive and Nernstian features as illustrated in Figure 1(b3). For example 9 PAn nanofibrils typify this property when it is scanned from -0.1 to 1.0 V vs Ag/AgCl (see Figure 3a) 10 [23]. Moreover within the potential range 0.2 to 0.7 V vs Ag/AgCl, this material displays a capacitive 11 storage mechanism (in this case, pseudocapacitance dominates). Lithiated carbon materials, particularly 12 those with nanostructures accessible by the electrolyte, would also display such properties with the 13 capacitive storage being largely due to EDL capacitance from the carbon electrodes [11]. Accordingly, 14 in calculation of the specific charge of such an electrode  $(Q_{\rm M})$ , the contributions from both the 15 Nernstian and capacitive storage mechanisms must be considered. This could be achieved by using 16 expressions such as that in Equation (3), which describes the stored charge as due to the Faradaic 17 storage and the EDL capacitance storage mechanisms:

18 
$$Q_M = \frac{Q}{M} = \frac{nF}{M} + AC_{dl}\Delta E$$
(3)

19 where Q is the Faradaic charge transferred over the applied potential range,  $\Delta E$ , n the number of 20 electrons participating in the Faradaic reaction, M the molar mass of the electrode material, A the 21 specific area of the electrode (m<sup>2</sup>/g),  $C_{dl}$  the capacitance per unit specific area of the electrode material. 22 If the Faradaic charge transfer is capacitive, Equation (3) can be re-written as Equation (4) below for 23 calculation of the specific capacitance of the electrode material,  $C_{M}$ .

1 
$$C_{M} = \frac{Q}{M\Delta E} = \frac{nF}{M\Delta E} + AC_{dl}$$
(4)

The Faradaic non-capacitive storage (often referred as battery storage) alone is Nernstian in nature. It involves the exchange of electrons across the EEI at a fixed electrode potential which can be described by the Nernst equation in terms of the mole fraction, *x*, of the reduced sites on the electrode surface.

$$6 E = E^o + \frac{nF}{RT} ln\left(\frac{1-x}{x}\right) (5)$$

7 If the process is reversible i.e. occurring under Nernstian conditions, and assuming that the entire bulk 8 of the material on the electrode undergoes the same redox reaction, the theoretical value of  $Q_{\rm M}$  of the 9 electrode material can be expressed by the Faraday equation [24].

$$10 \qquad \qquad \mathbf{Q}_{\mathbf{M}} = \frac{nF}{M} \tag{6}$$

Note that Equation (6) is same as the first term in Equation (3) but it is used independently here. CVs of a Nernstian electrode are typically peak shaped and hence cannot be analysed using any capacitor equations. Instead, the material property of a Nernstian electrode is analysed in terms of  $Q_{\rm M}$ . What is not always clearly referenced in the literature is that  $Q_{\rm M}$  is always associated with a fixed potential,  $E^{\rm o}$ (or potentials for reactions involving the transfer of multiple electrons) as defined by Equation (5). (This is in contrast to  $C_{\rm M}$  for a capacitive electrode which is associated with a potential range,  $\Delta E$ .)

17 Two Nernstian electrodes with different  $E^{\circ}$  values can form a battery whose theoretical cell 18 voltage equals to the difference between the positrode and negatrode potentials, i.e.  $U = E^{\circ}_{P} - E^{\circ}_{N}$ . If 19 the specific charges and masses of the positrode and negatrode are  $Q_{M,P}$  and  $m_{P}$ , and  $Q_{M,N}$  and  $m_{N}$ , 20 respectively, then  $Q_{M,P} \times m_{P} = Q_{M,N} \times m_{N} = Q_{cell}$ . The energy stored in the battery, *W*, can be calculated 21 by Equation (7). For the practical use in AECs, it is incorrect to consider the ratio Q/U of a Nernstian electrode as capacitance, since the electrode behaviour is fundamentally non-capacitive. Some recent publications have attempted to clarify this unfortunate situation where Nernstian properties are misconstrued as pseudocapacitive properties [2,10,25]. Moreover, fundamental theoretical calculations have been utilised to reveal the basis of the charge storage mechanisms displayed by some electrode materials [26-28].

8 As can be seen in the applications of EDLCs for relatively short charging time (for example in 9 intra-city buses [9]), it is obvious that ECs with high specific energy (or energy density) are strongly 10 desirable. This is also coupled with the property of high power (speed of charge intake/delivery) which 11 capacitive charge storage could provide in general. Two main strategies used to achieve high energy in 12 EES devices are to hybrid a large charge capacity electrode with a high capacitance electrode [15]. 13 Moreover, due to the dependence of the energy of an EES device on the cell voltage according to either 14 Equation (2) or (7), it is beneficial to use an electrolyte with a high decomposition voltage (or wide 15 electrochemical window) [29, 30]. Such an electrolyte can be either an organic salt solution or an ionic 16 liquid which is still pending for commercial justification [31]. Alternatively, due to their non-17 flammability compared to organic electrolytes, lower viscosity even at relatively high concentrations 18 than ionic liquids, ease of handling, high ionic conductivity and low cost, aqueous electrolytes are 19 always a choice in the fabrication of EES devices [31, 32].

It should be acknowledged that good understanding of the various device engineering strategies is important in order to satisfactorily use aqueous electrolytes (and indeed any other type of electrolyte) in the production of high voltage (and by consequence high energy) ECs. The combination of electrodes that display different storage mechanisms is an important design aspect in the bid for high performance AECs [33]. The main advantage of AECs is that, provided the charge storage mechanisms

1 of the electrodes are properly accounted for in the cell design, one or more of the properties of energy, 2 power (and even self-discharge) and cycle life could be increased and/or optimised. The advantages 3 and drawbacks of various configurations of AECs are enumerated in the literature [34]. In this report, 4 an attempt is made to clarify how the charge storage mechanisms in different electrodes (as described 5 in Section 2) and cells can be properly characterised, particularly in terms of capacitance and energy. 6 Also, supercapattery and supercabattery which were recently introduced as generic terms for all forms 7 of AECs and other hybrid devices [11, 19, 25] will be discussed based on their observed 8 electrochemical performances.

## 9 3. Asymmetrical electrochemical capacitors with capacitive electrodes

10 The possible configurations of this class of AECs are the use of two electrodes with EDL 11 capacitance (i.e. EDLC electrodes), two pseudocapacitive electrodes, or the use of an EDLC electrode 12 and a pseudocapacitive electrode.

Of particular importance to the fabrication of AECs is the determination of the capacitive potential range (CPR) of each electrode. Within the CPR, all processes on the electrode are electrochemically reversible and capacitive in nature. That is the potential range (window) before the onset of any irreversible reaction of the electrode and/or decomposition of the electrolyte, see Figure 3b [35]. The CPR can be determined from the CV of a given "electrode | electrolyte" combination using the following equation,

$$19 \qquad CPR = E_{P,max} - E_{N,max} \tag{8}$$

20 where  $E_{P,max}$  and  $E_{N,max}$  are maximum positive and negative potentials of the capacitive CV.

Figure 3b shows the CVs of an AC electrode in different potential ranges recorded in a threeelectrode cell containing the aqueous electrolyte of 0.3 mol/L K<sub>2</sub>SO<sub>4</sub>. The AC used was Cabot Monarch 1300 pigment black (CMPB) and it was coated on the surface of a graphite disc electrode (0.6 cm in diameter) [35]. In Figure 3b, it can be seen that  $E_{P,max}$  and  $E_{N,max}$  are 0.9 V and -1.3 V, respectively. Referring to Figure 3b and using Equation (8), the CPR of the CMPB electrode in K<sub>2</sub>SO<sub>4</sub> can be calculated as 0.9 - (-1.3) = 2.2 V. It is worth mentioning that for using the CMPB to make both the positrode and negatrode in a cell, i.e. the so called symmetrical supercapacitor. The CPR is in principle the same as the maximum capacitive voltage (MCV). In such a case, the specific energy of the cell,  $W_{\rm M}$ , can be derived from the  $C_{\rm M}$  of the CMPB according to Equation (2) and  $C_{\rm cell}/(2m) = C_{\rm M}/4$ where *m* is the mass of each electrode,

7 
$$W_M = \frac{W}{2m} = \frac{c_{cell} u^2/2}{2m} = \frac{c_M u^2}{8}$$
 (2a)

8 It is a common knowledge that a carbon electrode (e.g. AC) could show different interfacial 9 capacitive profiles depending on if it is used on the negatrode or positrode. In other words, the 10 electrostatic attraction of anions to the positrode and that of cations to the negatrode have different 11 capacitances (or capacitive profiles) as can be clearly observed in Figure 3b. This implies that even if 12 the two electrodes of the same material in a given EC have equal masses, such a device is inherently 13 asymmetrical. In fact, it has been explained that ECs with similar electrode material assembled with 14 equal electrode capacitances (e.g. with equal masses), would exhibit different capacitances after 15 extensive cycling [34].

16 Figure 4a and 4b show CVs collected from the same "electrode | electrolyte" that was used to 17 record the CVs in Figure 3b. The solid curves correspond to a whole range of the potential scan of the 18 single carbon electrode and the whole range can eventually increase to the CPR. The dashed curves 19 correspond to positive (red curve) and negative (blue curve) polarisations of the electrode i.e. the 20 charge profiles of the positrode (with capacitance  $C_p$ ) and negatrode (with capacitance  $C_N$ ), 21 respectively.  $E_{V0}$  is the equal potential of both the positrode and negatrode when the cell voltage of the 22 device (two-electrode cell) is 0.0 V. It is also known as the potential of zero voltage (PZV). By defining  $U_{\rm P} = (E_{\rm P} - E_{\rm V0})$  and  $U_{\rm N} = (E_{\rm V0} - E_{\rm N})$  where  $E_{\rm P}$  and  $E_{\rm N}$  are the positrode and negatrode 23

potentials, respectively, the capacitance equation based on the principle of conservation of charge (Q)can be expressed by Equation (9). Also, since the electrodes in the device are connected in series the cell capacitance,  $C_{cell}$ , can be given by Equation (10) whilst the cell voltage, U, can be expressed by Equation (11) [36].

5 
$$Q = C_p U_P = C_N U_N \quad or \quad U_N = U_P \frac{c_P}{c_N}$$
(9)

$$6 \qquad \qquad \boldsymbol{C_{cell}} = \frac{\boldsymbol{C_P}\boldsymbol{C_N}}{(\boldsymbol{C_P} + \boldsymbol{C_N})} = \frac{\boldsymbol{C_P}}{(\mathbf{1} + \boldsymbol{C_P}/\boldsymbol{C_N})} \tag{10}$$

7 
$$\boldsymbol{U} = \boldsymbol{U}_{\boldsymbol{P}} + \boldsymbol{U}_{\boldsymbol{N}} = \boldsymbol{U}_{\boldsymbol{P}} \left( \mathbf{1} + \frac{\boldsymbol{c}_{\boldsymbol{P}}}{\boldsymbol{c}_{\boldsymbol{N}}} \right)$$
(11)

From Equation (9) – (11), it is obvious that an adequate adjustment of the  $C_P/C_N$  ratio can extend U of the AEC, but decrease  $C_{cell}$ . Because  $W = 0.5C_{cell}U^2$ , the loss in  $C_{cell}$  would be compensated by the gain in W. Indeed, it was shown that with the CMPB as both the positrode and negatrode, at  $C_P/C_N = 4/3$ , the AEC gave the optimal performance at a cell voltage, i.e. the MCV, as high as 1.9 V in aqueous K<sub>2</sub>SO<sub>4</sub> [35]. In essence, by raising  $C_P/C_N$ , the negatrode potential as shown in Figure 4b was extended to recover what is termed as the "wasted potential" in Figure 4a.

14 It was also shown that the performance of the AEC depended strongly on the  $C_P/C_N$  ratio [35]. 15 For example as shown in Figure 4c, with  $C_P/C_N = 1$ , the CV starts showing an additional current near 16 the high voltage end when the cell voltage is greater than 1.6 V, indicating unwanted reactions at the electrodes. The same behaviour is not seen on the CVs in Figure 4d with  $C_P/C_N = 4/3$ . Figure 4e plots 17 18 the electrode potential against the cell voltage and indicates the maximum positrode potential to be 0.91 19 V (vs. Ag/AgCl). At  $C_p/C_N = 1$ , it can be seen that the positrode potential increased beyond 0.91 V, leading to inevitable unwanted anodic reaction. Furthermore, as shown in Figure 4f, the device 20 exhibited the optimal capacitance ratio of  $C_P/C_N = 4/3$ , optimal cell voltage of 1.9 V, and good stability 21 22 in 10000 cycles. At other values of  $C_P/C_N$  and U, e.g. 3:1 and 2.0 V, or 1:1 and 1.9 V, the cell showed 1 obvious degradation in cycle stability. More importantly, data analysis confirmed that at  $C_P/C_N = 4/3$ , 2 the cell capacitance decreased by only 2% whereas the specific energy of the cell increased by 38% 3 [35].

4 In Equation (11),  $U_P$  can extend to the CPR of the positrode. In the case of the AEC with 5 CMPB electrodes in 0.3 mol/L K<sub>2</sub>SO<sub>4</sub>, the positrode is the so called "cell voltage limiting electrode" 6 (CVLE). In other words, the MCV of the AEC is limited by the CPR of the positrode [36]. If the 7 negatrode is CVLE, Equation (11) which applies to all AECs can be rearranged as  $U = U_N(1 + C_N/C_P)$ . 8 This generalisation is best appreciated later from Figure 7a, which illustrates these concepts for 9 capacitive electrodes. From Figure 7a, with  $E_{N2} > E_{P1}$ , the positrode is the CVLE. However, if  $E_{P1} >$ 10  $E_{N2}$ , then the negatrode is the CVLE [36, 37]. The translation of the CPR into the MCV of a cell has 11 been demonstrated for an EC with activated carbon electrodes and 1 mol/L Li<sub>2</sub>SO<sub>4</sub> which can be 12 operated at an MCV of 2.2 V for 15 000 cycles with negligible capacitance fade [38].

In an early example of using Faradaic capacitive or pseudocapacitive materials to build an AEC, the nanocomposites of carbon nanotubes (CNTs) with SnO<sub>2</sub> and MnO<sub>2</sub> were studied [39]. Figure 5a shows the CVs of the MnO<sub>2</sub>-CNT positrode and SnO<sub>2</sub>-CNT negatrode in such a device. In such designs, it is important to note and compare the CPRs of the electrodes [37, 39]. As can be seen from Figure 5b, the obtained AECs could work at a high cell voltage up to 1.7 V in aqueous 2.0 mol/L KCl [39].

Combining a non-Faradaic capacitive electrode (e.g. an EDLC electrode) and a Faradaic capacitive or pseudocapacitive electrode into an AEC is a well-known design [33]. This is mostly due to the improved cell capacitance and increased energy (increased voltage) which might be obtained from such devices particularly in aqueous electrolytes. Due to their high polarisability, carbon materials are usually the EDLC electrode of choice in such AECs [40].

ECPs as pseudocapacitive materials have been combined with EDLC materials such as CNTs or AC to fabricate AECs. As was demonstrated recently [36], the performances of this class of AECs are

also sensitive to the  $C_P/C_N$  ratio. Figure 6a shows the CVs of an AEC of (-) AC | HCl (1.0 mol/L) | PAn-CNT (+). The PAn-CNT positrode was prepared from the co-deposition of CNT and polyaniline. The total deposition charge which is proportional to the mass of film deposited is also shown in Figure 6a, together with the electrode capacitance ratio  $C_P/C_N$ . The bar chart in Figure 6b shows the percentage change in the specific energy of the AEC as a function of  $C_P/C_N$ . It should be pointed out that the capacitance ( $C_P$ ) of the PAn-CNT positrode was calculated from rectangular CVs recorded within the CPR, i.e. the potential region for capacitive Faradaic process as shown in Figure 3a [36].

Another important category of AECs includes those that make use of a carbon material as EDLC electrode and a TMO as the pseudocapacitive electrode. Figure , 6c and 6d show the CVs of a cell of (-) AC | Na<sub>2</sub>SO<sub>4</sub> (0.5 mol/L) | MnO<sub>2</sub>-CNT (+) and it can be seen that the MCV of both devices is 2.2 V when the positrode to negatrode mass ratio R(+/-) = 2.5 and 3.0 [41]. This concept of using the mass ratio of the capacitive electrodes in designing such AECs is also derived from the conservation of charge principle in ECs, and R(+/-) is given below.

14 
$$R(+/-) = \frac{m_+}{m_-} = \frac{c_-\Delta E_-}{c_+\Delta E_+}$$
 (12)

15 Note that in Equation (12),  $C_{-}$  and  $C_{+}$  are the specific capacitance of the negatrode and positrode as 16 measured within their CPRs,  $\Delta E_{-}$  and  $\Delta E_{+}$  which correspond to  $U_{\rm N}$  and  $U_{\rm P}$  in Equation (9)-(11), 17 respectively. Figure 6c and 6d show that both the AECs with R(+/-) = 2.5 and 3.0 have an MCV of 2.0 V. At cell voltages greater than 2.0 V, the positrode potential in both devices exceeded the positive 18 potential limit, 1.2 V vs. NHE, represented by the horizontal line in Figure 6e and 6f, causing 19 20 irreversible reactions at the positrode. In the GCD test of 10,000 cycles at 1.0 A/g and 2.0 V, the AEC 21 with R(+/-) = 2.5 displayed better stability than that with R(+/-) = 3.0. This highlights the importance 22 of long duration cycling as a means of ascertaining the optimum performance metrics of AECs [41].

23

In general, the systematic determination of the capacitive stability limits of EDLC and

pseudocapacitive electrodes with respect to their performance in AECs is of immense design importance. Therefore, experimental data such as those provided in Figure 7b which shows the CPR of some common capacitive electrodes, could aid in the correct selection of electrodes and electrolytes in the fabrication of optimal AECs.

5

## 6 4. Combining capacitive and Nernstian electrodes: Supercapattery and Supercabattery

7 To achieve improved energy densities in AECs, there have been numerous reports on the 8 pairing of EDLC or pseudocapacitive electrodes with electrodes displaying non-capacitive Faradaic or 9 Nernstian storage mechanisms [42-44]. Since Nernstian and capacitive electrodes are generally 10 characterised by their peak-shaped (Figure 1b1 to 1b3) and rectangular (Figure 1b4) CVs, respectively, 11 it is necessary to make general descriptions of the cells made from these paired electrodes. Figure 8 12 illustrates schematically the CVs of the negatrode and positrode, and the two-electrode cell of differently paired electrodes. The devices shown are battery (Figure 8a), EC (Figure 8b) and what has 13 14 been termed as the supercapattery (Figure 8c) [3, 11, 25].

15 In theory, either the capacitive or Nernstian electrode can be used as a positrode or negatrode. 16 Moreover, selection of the positrode or negatrode is usually done with knowledge of the stable 17 potential window of the electrode relative to the electrolyte of choice. In essence, the redox potential of 18 the Nernstian electrode, and the CPR of capacitive electrodes are used to help such selections. It is also 19 important to point out that various attempts have been made to devise a nomenclature that clearly 20 describes these hybrid "supercapacitor-battery" devices [45] which makes use of a Nernstian electrode 21 and a capacitive electrode. For example, in trying to describe various classes of device configurations 22 for practical applications, three different types of hybrids were itemised: (a) discrete supercapacitors 23 externally connected with batteries for load-levelling, (b) use of an internal combustion engine with a 24 battery or supercapacitor for automotive drivetrains, and (c) the incorporation of a faradaic and EDLC

type electrode materials into a single device: which was referred to as asymmetric capacitor devices [34]. Also, in a bid to clearly elucidate the nomenclature, devices which could be classed under (a) and (b) above were called external hybrids, whilst asymmetric capacitor devices were termed as internal serial hybrids [40]. A recent attempt has also been made to classify these devices into "asymmetric devices with or without hybrid behaviour" [46]. The terms pseudocapacitors have also been used to describe some of these devices, particularly those employing new Nernstian electrodes [47-57].

7 In this report, the terms supercapattery and supercabattery, which have been used to describe 8 the properties of devices incorporating Nernstian and capacitive electrodes [6, 42, 58-73], are adopted 9 as more concise terms to describe such devices from the standpoint of their electrochemical 10 performances. With this noted, it is worth pointing out that the devices described in Sections 4.1 to 4.3 11 adopt the capacitive electrode as positrode, and the Nernstian electrode as negatrode. Also, the 12 illustrative specification of Li metal or lithiated carbon used as the negatrode (Figure 9a and 9c) would be made clear in the course of the descriptions. This approach is based on and developed from our 13 14 recent studies on this subject [11, 74].

15

## 16 4.1. Supercapattery (of the first kind).

This is obtained by combining a non-Faradaic capacitive (i.e. EDLC) electrode with a Nernstian electrode as schematically illustrated in Figure 9a. This class of device can be characterised first by balancing the charge on both the Nernstian and EDLC electrodes. According to Figure 9a, the Nernstian electrode is the negatrode and the non-Faradaic capacitive (EDLC) electrode is the positrode. Thus,  $Q_{-}$  and  $Q_{+}$  which are the total charges stored in the negatrode and positrode, respectively, can be used to obtain a balance for the masses of  $m_{-}$  and  $m_{+}$  of the negatrode and positrode, respectively. This is shown in Equation 13a and 3b below,

1 
$$Q_{-} = m_{-}Q_{sp-} = m_{+}C_{sp+}\Delta E_{+} = Q_{+}$$
 (13a)

$$2 \qquad \qquad \frac{m_+}{m_-} = \frac{Q_{sp-}}{C_{sp+}\Delta E_+} \tag{13b}$$

where  $Q_{sp-} = nF/M$  is the specific charge capacity of the Nernstian negatrode (C/g), *M* the molar mass of the negatrode material,  $C_{sp+}$  the specific capacitance of the EDLC positrode (F/g) and  $\Delta E_+$  the CPR of the positrode. If the negatrode is Li metal,  $M_{Li} = 6.941$  g/mol, and n = 1. Then  $Q_{sp-} = Q_{sp,Li} = nF/M_{Li}$ = 13.9 kC/g (3861 mAh/g). Assuming that the positrode is AC with  $C_{sp,C} = 200$  F/g and CPR  $= U_P = 4.0$ V, then  $Q_{sp+} = Q_{sp,C}$  (specific charge of the EDLC electrode)  $= C_{sp,C} \times U_P$ . Thus from Equation (13b),  $m_+/m_- = m_C/m_{Li} = Q_{sp,Li}/(C_{sp,C} \times U_P) = 13900/(200 \times 4.0) = 17.4$  which means that the mass of Li is

9 insignificant compared with that of AC. Accordingly, since the electrochemical profiles of these 10 devices are approximately capacitive (red curve in Figure 9a), it is reasonable to assume an apparent 11 cell capacitance,  $C_{cell}$ . Because of the insignificant Li mass,  $C_{cell}$  is approximately equal to that of the AC positrode,  $C_{\rm C}$ . Accordingly, the specific capacitance of the cell,  $C_{\rm sp, cell}$ , can be expressed by 12 13 Equation (14a). In other words the cell capacitance  $C_{cell}$  is determined by the mass of the AC positrode, 14  $m_{\rm C}$ . It is also important to note that due to the presence of the Nernstian electrode there would be a 15 minimum charging voltage  $(U_{\min})$  to prevent lithiation of the AC positrode. If the maximum charging 16 cell voltage is  $U_{\text{max}}$ , the specific energy of the supercapattery,  $W_{\text{sp}}$ , can be expressed as Equation (14b).

17 
$$\boldsymbol{C}_{\boldsymbol{sp,cell}} = \frac{\boldsymbol{C}_{cell}}{\boldsymbol{m}_{Li} + \boldsymbol{m}_{c}} \approx \frac{\boldsymbol{C}_{\boldsymbol{C}}}{\boldsymbol{m}_{\boldsymbol{C}}} = \boldsymbol{C}_{\boldsymbol{sp,C}}$$
(14a)

18 
$$W_{sp} = \frac{c_{sp,c}}{2} \left( U_{max}^2 - U_{min}^2 \right)$$
 (14b)

From this reasoning, using the property of the hypothetical cell given in Figure 8a with  $U_{\text{max}} = 4.0 \text{ V}$ and  $U_{\text{min}} = 0.5 \text{ V}$ , and applying Equation (14b), the cell would have a specific energy of 555.6 Wh/kg. 1 It should also be pointed out that if a lithiated material (e.g. lithiated carbon  $\text{LiC}_x$  with  $x \ge 6$ ) is used to

2 replace the Li metal negatrode, then  $Q_{sp-} = Q_{sp,LiC6} = 1360$  C/g. Correspondingly, from Equation (13b) 3 the mass ratio becomes  $m_+/m_- = m_c/m_{LiC6} = 1340/(200 \times 4) = 1.675$ , this implies that in this case the

4 mass of the LiC<sub>6</sub> negatrode cannot be neglected. Also, considering that the supercapattery in Figure 9a 5 still retains capacitive features, from practical considerations an apparent capacitance can be calculated 6 for the LiC<sub>6</sub> electrode. Since the change in potential of the negatrode along the potential plateau is very 7 narrow  $\approx 0.05$  V, the calculated apparent capacitance of the negatrode would be 26800 (F/g) which is

8 extremely higher than the capacitance of the capacitive electrode. Consequently, the capacitance of the 9 cell is limited by that of the capacitive positrode, and the mass of the lithiated carbon negatrode is now 10 significant. If the negatrode mass is 1.0 g, from Equation (14a)  $C_{\text{sp,cell}} = m_c C_{\text{cell}}/(m_c + m_{\text{LiC6}}) = (1.675 \times$ 

11  $200)/(1 + 1.675) \cong 125$  F/g. From Equation (14b) the specific energy of the supercapattery with

#### 12 lithiated carbon negatrode then becomes 347.2 Wh/kg.

13 A typical example of experimentally demonstrated supercapatteries that can be characterised 14 following the above analysis is (-) Li | 0.5 mol/L LiClO<sub>4</sub> + IL | AC (+) [74]. In this cell, the positrode was the Kuraray AC with C<sub>sp</sub> =100 F/g, and the electrolyte was the solution of LiClO<sub>4</sub> and gamma-15 16 butyrolactone  $(\gamma$ -GBL) in an ionic liquid (IL) of 1-butyl-1-methylpyrrolidinium tri(pentafluoroethyl)trifluorophosphate (BMPyrrFAP). The negatrode is Li metal.  $W_{sp}$  of this cell (see 17 Figure 9b for its GCD profile) could reach 230 Wh/kg at a current load of 0.4 A/g [74]. 18

In the above analysis, a crucial design strategy is to consider the charge equality between the positrode and negatrode, i.e. Equation (13a), which in turn determines the mass ratio of the two electrodes by Equation (13b). When mass ratio is not far away from 1, the combination of a Nernstian

1 electrode with a capacitive electrode may lead to non-capacitive cell behaviour. For example, a "dualion" cell of (–)  $MoS_2$ -C | 1.0 mol/L NaPF<sub>6</sub> + PC | graphite (+) (PC: propylene carbonate) was recently 2 3 reported for EES [75]. In this cell, the positrode and negatrode had equal masses, but the authors 4 offered no explanation why this equal mass strategy was applied. The initial reversible charge capacity 5 of the MoS<sub>2</sub>-C negatrode was measured to be ca. 170 mAh/g (612 C/g), resulting from Na<sup>+</sup> ion 6 intercalation. The graphite positrode could be capacitive to make this cell a supercapattery. If so, assuming  $U_p = 2$  V and  $C_{sp,C} = 50$  F/g for the graphite electrode, the  $m_+/m_- = m_{graphite}/m_{MoS2-C} =$ 7 8 612/(2\*50) = 6.12. Thus, it is not surprising that the behaviour of the reported MoS<sub>2</sub>-C | graphite cell deviated significantly from being capacitive, particularly when the cell was being charged as shown by 9 10 the GCDs in Figure 10. However, these GCDs are also not the same as that of a conventional 11 rechargeable battery. Indeed as was reported, the graphite positrode functioned as the host for 12 intercalation of the PF<sub>6</sub><sup>-</sup> ion, making the cell a "dual-ion" cell in which both capacitive and Nernstian 13 storage mechanisms may co-exist. Particularly, it can be seen in Figure 10 that the discharging GCDs 14 are approximately linear and hence apparently capacitive, but the charging GCDs are non-linear. Thus, the energy analysis of this dual-ion cell cannot use Equations (7) and (14b) which are only valid for 15 linear GCDs. Instead, integration of the GCD using Equation (15) below is needed to calculate the 16 17 energy, which actually corresponds to the area under the GCD, for both charging and discharging.

$$18 W = i \int E dt (15)$$

Following the principle of Equation (15), it can be seen from Figure 10b that the energy efficiency of this dual-ion cell was lower than 50 %. It is anticipated that the cell could have performed better if the cell design had taken charge balance into consideration so that an appropriate electrode mass ratio can be applied, instead of simply equal mass.

#### 1 4.2. Supercapattery (of the second kind).

2 This can be designed by combining a Faradaic capacitive (pseudocapacitive) electrode with a 3 Nernstian electrode. This class of device, illustrated in Figure 9c, also has approximate capacitive 4 profiles (red curve in Figure 9c). It should also be noted that in this type of device, the 5 pseudocapacitive electrode is operated at a higher potential albeit with a narrower  $\Delta E$  than that of the 6 EDL electrode. For example in the hypothetical cell of Figure 9c,  $\Delta E = (4.5 - 3.5) = 1.0$  V. In general, 7 they can still be analysed in much the same way as the supercapattery explained in Section 4.1. Consider a pseudocapacitive positrode with a mass of  $m_{+} = m_{\text{pseudo}}$  and specific capacitance of  $C_{\text{sp,pseudo}}$ 8 9 = 500 F/g. Accordingly, if the negatrode is Li metal with a mass of  $m_{-} = m_{\text{Li}}$ , then from Equations 10 (13a) and (13b),  $m_{+}/m_{-} = m_{\text{pseudo}}/m_{\text{Li}} = 13900/(500 \times 1.0) = 27.8$ . This again implies that the cell

capacitance can be defined in terms of the mass of the pseudocapacitive positrode. That is from Equation (14a),  $C_{\text{sp,cell}} \approx m_{\text{pseudo}} \times C_{\text{cell}} = C_{\text{sp,pseudo}}$ . For this cell  $U_{\text{max}} = 4.5$  V, and  $U_{\text{min}} = 3.5$  V, then

13 from Equation (14b),  $W_{sp} = 555.5$  Wh/kg for the supercapattery described in Figure 9c.

Also, if the negatrode is a lithiated carbon with  $Q_{sp, LiC6} = 1340$  C/g, then the mass ratio  $m_+/m_- = m_{pseudo}/m_{LiC6} = 1340/(500 \times 1) \approx 2.68$ , implies that the mass of the negatrode cannot be neglected. It

should also be noticed that the apparent capacitance of the Li negatrode is very high compared to the capacitance of the pseudocapacitive positrode. Consequently, the capacitance of this class of supercapattery is limited by the mass of the pseudocapacitive positrode. Assuming a mass of 1.0 g for the lithiated carbon negatrode,  $C_{\rm sp,cell} = m_{\rm pseudo} \times C_{\rm cell}/(m_{\rm pseudo} + m_{\rm LiC6}) = (2.68 \times 500)/(2.68 + 1) = 364.1$ 

20 F/g. As such from Equation (14b) with  $U_{\text{max}} = 4.5$  V and  $U_{\text{min}} = 3.5$  V,  $W_{\text{sp}} = 404.6$  Wh/kg. Figure 9d

21 which shows the GCD profile for the cell of (–) Li | aqueous electrolyte | solid electrolyte |  $MnO_2(+)$ 

22 exemplifies such a supercapattery which uses a pseudocapacitive positrode and a Li metal negatrode.

The specific energy of this cell as derived from the GCD measurements was 114 Wh/kg at a maximum
 cell voltage of 4.3 V and a current load of 0.255 mA/cm<sup>2</sup> [76].

3

## 4 4.3 Supercabattery

5 Many battery electrode materials, particularly nanostructured, behave quite differently from the 6 electrochemical performance of Li metal or lithiated carbons. The difference is typically reflected by 7 these materials having redox potentials more positive than that of Li | Li<sup>+</sup>, and a highly sloped potential 8 plateau over a potential range,  $\Delta E_{\text{plateau}}$ , that can be as wide as hundreds of mV or wider. Consequently, 9 combining a pseudocapacitive material and a battery material whose CPR and  $\Delta E_{\text{plateau}}$ , respectively, 10 are comparable would result in GCD profiles similar to the one shown in Figure 9e (red GCD curve for 11 device).  $U_{\min}$  in this case could be close to zero.

12 Fundamentally, such devices would behave like batteries and their performances should be expressed as charge capacity, instead of capacitance. In essence, the capacitor concept and equations 13 14 cannot be used in analysing such devices whose energy capacity should be calculated using Equation 15 (15). The term supercabattery has thus been proposed to describe such devices in which both capacitive 16 and Nernstian storage mechanisms co-exist. For example, the recently reported cells of (-) Li<sub>4</sub>Ti<sub>5</sub>O<sub>12</sub>  $Li^+$  | AC (+) and (-) AC |  $Li^+$  |  $LiMn_2O_4$  (+) [75] performed very much like the supercabattery. In fact, 17 18 there are many reported EES cells that employ nanostructured Nernstian materials, such as NiO and 19 some other transition metal oxides, and behave in the same or similar way as a supercabattery. 20 However, these cells were unfortunately claimed to be pseudocapacitors or hybrid capacitors as 21 reviewed recently [10,11,25]. Because the number of published studies on such Nernstian 22 nanomaterials is very large, the topic deserves a separate and more comprehensive account. We believe 23 supercabattery would be a suitable generic and also specific term to clarify the confusion and focus 24 research attention on the great EES potentials of these materials and related hybrid devices.

## 2 **5. Device engineering considerations**

In the lab-based design of commercially viable ECs, it is important to optimise all facets of the device fabrication ranging from electrode preparation to cell assembly. Important designs of commercial-scale AEC prototypes include the cell stack using bipolar plates which function as both the current collector and physical separator between neighbouring cells. This design of AECs makes use of the concept of internal serial connections of individual EC cells.

8 The photographs in Figure 11a and 11b were taken from a 20 V AEC stack with bipolarly 9 connected cells of (–) CMPB | aqueous 3.0 mol/L KCl | PPy-CNT (+) [78]. The bipolar plates in the 10 stack were Ti foils (0.1 mm in thickness). Ti was selected due its high mechanical strength and 11 conductivity at low volume and mass and excellent resistance to the corrosion attack by aqueous 12 chloride solutions. In Figure 11c, the rubber sealing washer aids the leak-proof and insulating 13 interconnection between neighbouring Ti bipolar plates, whilst the entire design can be sealed by 14 screwing together the arrangement as shown in Figure 11b.

15 It should be pointed out that the use of the cell stack with bipolar plates provides a space 16 efficient fabrication of commercial ECs. For example, if N discrete ECs were to be connected together 17 externally, the number of individual current collectors required is  $2 \times N$ . However, in the cell stack

18 with bipolar plates, N + 1 current collectors in total are utilised.

More importantly, the bipolar stack design can also be easily adopted for commercial manufacturing because the bipolar plates can be easily coated with the active materials by painting (see Figure 11b) or screen printing with better control of the mass and dimension of the coating[46, 47] [78, 79]. Screen printing is a well-established industrial technique and has been used to print the CMPB on one side of the porous membrane (separator) and the PPy-CNT or PAn-CNT composite on the Ti foil bipolar plate [79]. Figure 12 shows the result from screen printing of the PPy-CNT composite on the Ti bipolar plate. A stack of 2 cells was assembled, giving rise to a 3.0 V cell voltage as shown in Figure
 12c which confirm fairly satisfactory capacitive performance [79].

In another design of a 15 V stack of bipolarly connected 10 AEC cells of (-) SnO<sub>2</sub>-CNT | 1.0
mol/L Na<sub>2</sub>SO<sub>4</sub> | MnO<sub>2</sub>-CNT (+), the active material was manually rolled into free-standing thin films
of 0.30 to 0.35 mm in thickness [39, 79].

6 . Therefore, the stack was conveniently assembled by placing each component layer on top of 7 another layer, following the order of (1) negative end plate, (2) negatrode layer, (3) membrane 8 separator, (4) positrode layer, (5) bipolar plate, (6) repeating (2) to (5) to a designated number of times 9 (cycles), and (7) finally positive end plate. Because manual rolling corresponds to the established 10 industrial technique of roller pressing, this method of making free standing films of active materials can 11 be particularly suitable to fit into an automated production line, promising a great industrial production 12 potential.

It is acknowledged that in current literatures, much less has been reported on device design and manufacturing engineering of ACEs in comparison with that on material synthesis and analysis. However, this area of research and development is undoubtedly crucial in commercialisation of ACEs. It is hoped that the above discussed device designs, although still primitive in nature, can form the basis to support future commercial exploration, optimisation and scale-up of AECs through modern industrial techniques.

19

## 20 **6.** Conclusions

Electrochemical energy storage (EES) can be achieved via non-Faradaic capacitive, Faradaic capacitive, and Faradaic non-capacitive mechanisms and their combinations. Specifically, the origins of Faradaic capacitive (pseudocapacitive) storage and Faradaic non-capacitive (Nernstian) storage can be attributed to the transfer of delocalised and localised valence electrons, respectively. These mechanisms

1 can be mathematically and graphically expressed in terms of electrochemical characteristics. 2 Asymmetrical electrochemical capacitors (AECs) and other hybrid devices in the generic terms of 3 supercapattery and supercabattery can offer enhanced energy storage performance. Correct 4 understanding of the storage mechanism can help design optimal AECs and supercapatteries via 5 appropriate pairing and balancing of the properties of the positrode and negatrode. In particular, by 6 utilising the correlations of the charge capacity with other properties of the electrode materials such as 7 mass, specific capacitance and capacitive potential range, enhanced device performance can be 8 achieved. This is demonstrated by both hypothetical and experimental examples of supercapattery 9 which combines the merits of both capacitive and Nernstian materials. Commercial feasibility and 10 promises have been analysed and discussed through the design, laboratory manufacturing and 11 performance test of several stacks of bipolarly connected AEC cells, calling for further research and 12 industrial efforts.

13

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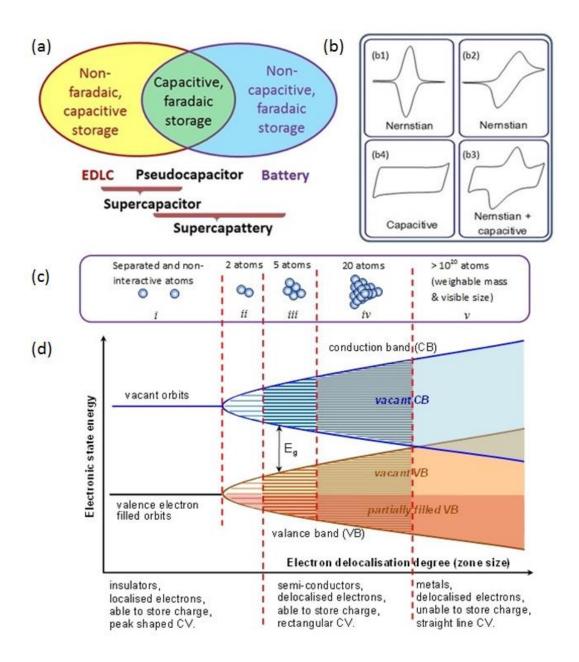
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# Figures and figure captions



3

- 4 **Figure 1:** (a) Charge storage mechanisms for electrochemical energy storage and their possible device
- classification [3]. (b) Schematic representations of the voltammetric features for Nernstian (b1, b2),
  mixed Nernstian and capacitive (b3) and capacitive (b4) charge storage mechanisms. (c) Schematic
- 7 illustrations of the band model for chemical bonding (c) between metal atoms that are separated and
- 8 non-interactive (i), and forming clusters of 2 (ii), 5 (iii), 20 (iv) and  $10^{20}$  (v) atoms. (d) The
- 9 corresponding energy levels of the valence electrons as a function of the degree (or zone size) of
- 10 delocalisation of valence electrons in the respective clusters of metal atoms [11].[11, 24]



Figure 2: (a) Intra-city ride on an electric bus fully powered by supercapacitors (EDL capacitors) [9].(b) A supercapacitor bus is being charged at one of the stops along the bus route.





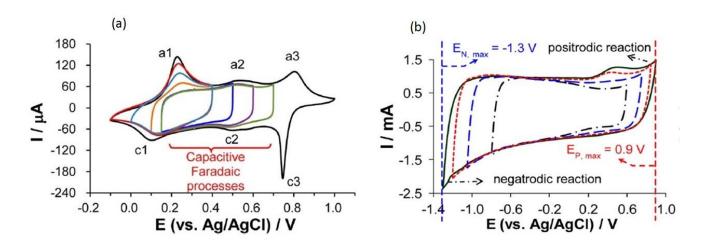
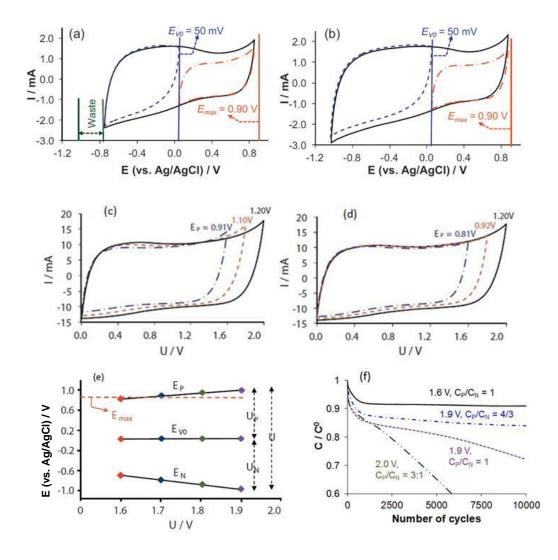


Figure 3: CVs of (a) a PAn-CNT film in 1.0 mol/L HCl showing both the capacitive and mixed
Nernstian and capacitive potential ranges [23], and (b) a CMPB (2.5 mg) coating in 0.3 mol/L K<sub>2</sub>SO<sub>4</sub>
[35] showing the dominant capacitive features in the explored potential ranges.

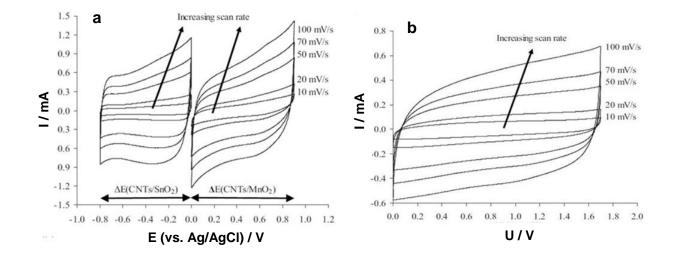


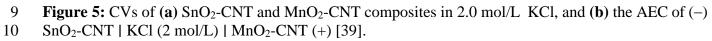


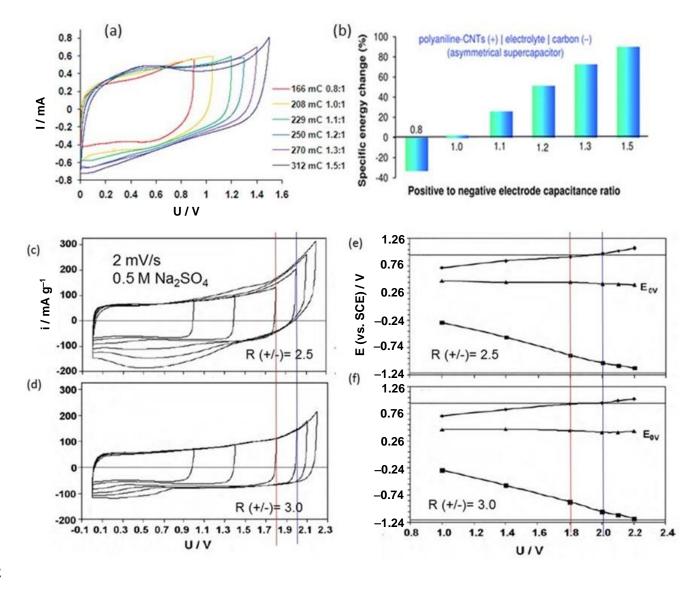
**Figure 4: (a,b)** CVs showing the variation of capacitive feature in different potential ranges of the CMPB electrode in 0.3 mol/L K<sub>2</sub>SO<sub>4</sub>. (c,d) CVs of AECs with CMPB on both the positrode and negatrode at  $C_P/C_N = 1$  (c) and 4/3 (d), respectively. (e) Plots of electrode potential against cell voltage of an AEC with CMPB on both the positrode and negatrode at  $C_P/C_N = 1$ . (f) Cyclic stability (up to 10000 cycles) of AECs at the indicated  $C_P/C_N$  ratios and cell voltages [35].

8









**Figure 6:** AECs with EDLC and pseudocapacitive electrodes. (a) CVs of (–) CMPB | 1.0 mol/L H<sub>2</sub>SO<sub>4</sub> | PAn-CNT (+) at indicated  $C_p/C_N$  ratios. (b) Energy change of the cell in (a) as a function of the  $C_P/C_N$ ratio [36]. (c, d) CVs of (–) AC | 0.5 mol/L Na<sub>2</sub>SO<sub>4</sub> | MnO<sub>2</sub>-CNT (+) with positrode to negatrode mass ratio, R(+/–) = 2.5 (c) and 3.0 (d), respectively. (e,f) Plots of electrode potential against cell voltage for the cells in (c) and (d), respectively [41].

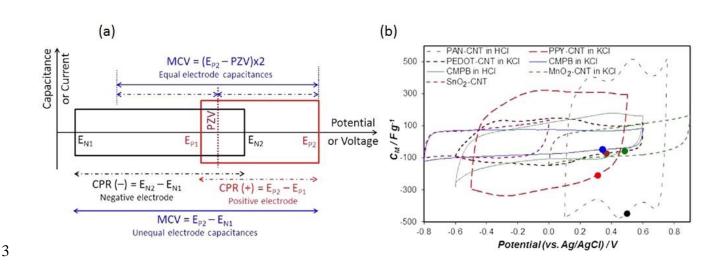




Figure 7: (a) Schematic illustration of capacitive electrodes in AECs with CPR(-) and CPR(+) being
the capacitive potential range for the negatrode and positrode, respectively. (b) Stable capacitive
potential range of some capacitive electrodes in aqueous electrolytes. The coloured circular dots refer
to the open circuit potentials of the respective "electrode | electrolyte" interfaces after a rest time of 4 h
[37].

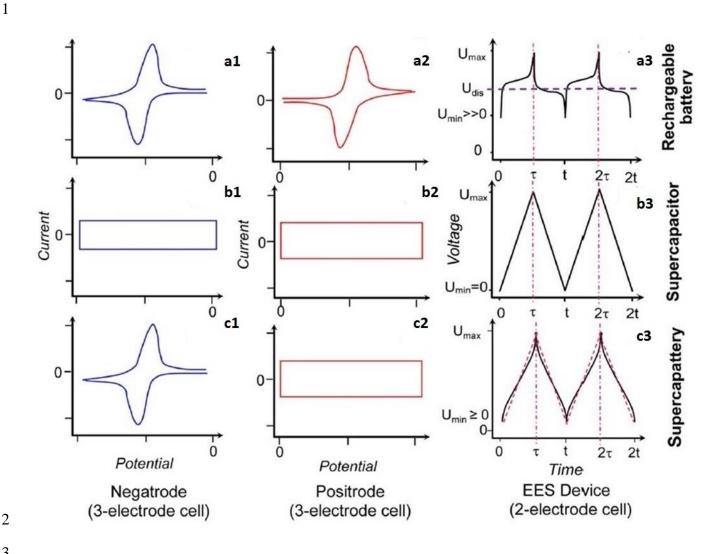
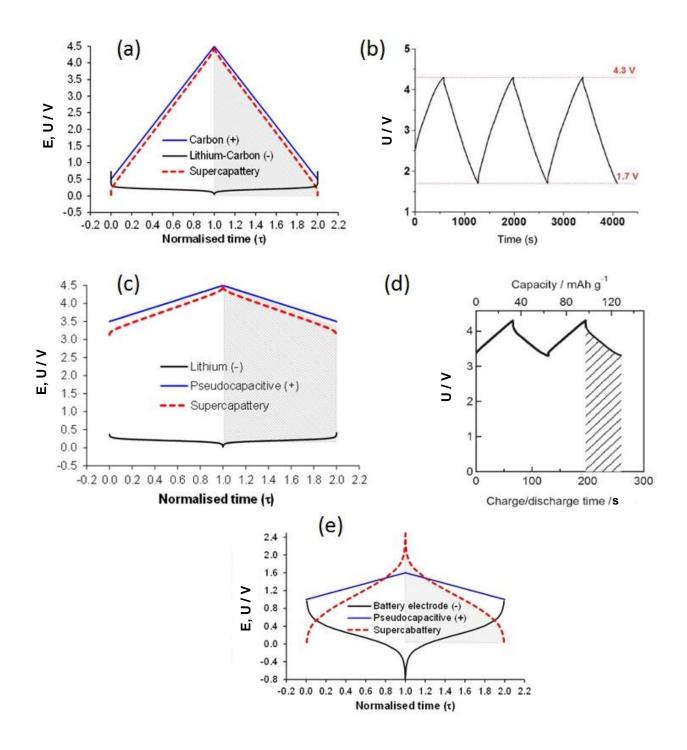


Figure 8: Schematic illustrations of (1,2) CVs of positrode and negatrode in a three electrode cell, and (3) GCDs of the two electrode cell of (b) rechargeable battery, (c) supercapacitor, or (d) supercapattery.  $U_{\text{max}}$  and  $U_{\text{min}}$ : maximum and minimum cell voltages that can be reached during charging and discharging, respectively, without causing irreversible changes in the cell.  $U_{dis}$ : average discharging voltage.  $\tau$  and t: end times of the first charging and discharging cycle,  $\tau \ge (t-\tau)$ .  $2\tau$  and 2t: end times of the second charging and discharging cycle, but not necessarily twice of  $\tau$  and t [11, 25].



**Figure 9:** GCDs of the positrode, negatrode and cell of (**a**) the hypothetic supercapattery I with an EDLC positrode and a Li or lithiated carbon negatrode [11], (**b**) the cell of (–) Li | LiClO<sub>4</sub> + IL | AC (+) at 0.4 A/g [74], (**c**) the hypothetic supercapattery II with a pseudocapacitive positrode and a Li or lithiated carbon negatrode [11], (**d**) the cell of (–) Li | aqueous electrolyte | solid electrolyte | MnO<sub>2</sub> (+) at 0.255 mA/cm<sup>2</sup> [76], (**e**) the hypothetic supercabattery with pseudocapacitive positrode and battery material negatrode [11].

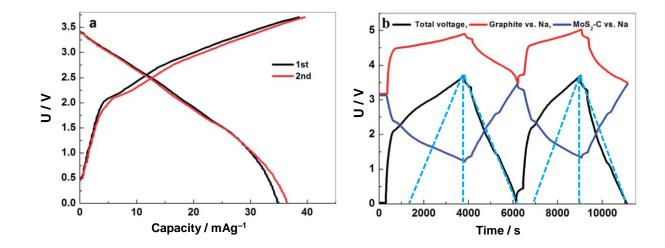






Figure 10: GCDs at 0.17 A/g of a dual-ion cell of (-) MoS<sub>2</sub>-C | 1.0 mol/L NaPF<sub>6</sub> + PC | graphite (+), showing (a) the cell voltage profiles in the initial charging-discharging cycles, and (b) the electrode potential (vs. Na/Na<sup>+</sup>) and cell voltage profiles with the blue dashed linear lines to show the deviation from the ideal capacitive features based on the discharging behaviour of the cell [75]. 

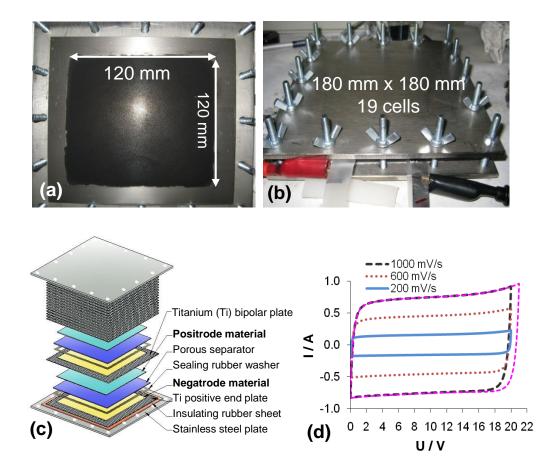


Figure 11: (a) PPy-CNT composite coating (120 mm × 120 mm) on a bipolar Ti plate (current collector) for the fabrication of a 20 V stack of 19 cells. (b) Top-view of the assembled stack of 19 cells. (c) Expanded illustration of the design of a stack of multiple AEC cells connected by bipolar current collector plates. (d) CVs of the stack in (b) at indicated voltage scan rates [78].

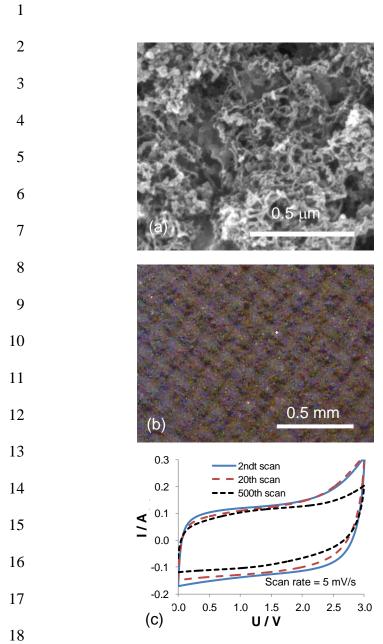


Figure 12. (a) SEM image of the PPy-CNT composite. (b) Top view of screen printed PPy-CNT
coating. (c) CVs recorded from a stack of two cells containing 3.0 mol/L KCl with screen printed PPyCNT on Ti bipolar (or end) plate and CMPB on porous membrane separator [79].